





How Many Solutions to the System?

Student Activity

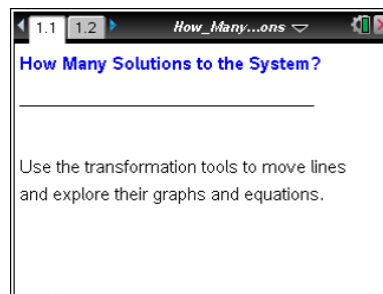
Name _____

Class _____





Open the TI-Nspire™ document `How_Many_Solutions.tns`.



This activity lets you manipulate the graph of a line to see how its equation changes. When a system of linear equations is represented by two lines, the number of solutions to that system depends on the relationship between the lines. You can use the **Rotation** tool  and the **Translation** tool  to perform transformations on a movable line.

Note: In this document, only Line 2 is movable.



Move to page 1.2.

Press   and   to navigate through the lesson.

- As you rotate () Line 2, describe the changes you observe in its graph and its equation.
 - As you translate () Line 2, describe the changes you observe in its graph and its equation.
- Move Line 2 so that it has exactly one point in common with Line 1. If you make the slope of Line 2 the same as the slope of Line 1, can the lines still have only one point in common? Explain.
- Move Line 2 so the lines do not have any points in common. How can you be certain these lines never intersect?
- The point of intersection of two lines is a solution to a system of equations. How is the graph of a linear system with no solution different from the graph of a linear system with only one solution?



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5. Joel says a system of linear equations will always have exactly one solution whenever the slopes of the two lines are different. Is Joel correct? Why or why not?
6. a. Move Line 2 so that there is more than one point of intersection with Line 1. What do you observe about the two lines?
- b. How many solutions are there to the system represented by two lines that have more than one point of intersection? Explain your reasoning.
7. Given a system in which one of the equations is $y = -7x + 4$, create a second equation such that the resulting system has:
- a. Exactly one solution
- b. No solution
- c. Infinitely many solutions
8. What could you say to convince another student that your answers to question 7 are correct?